

Video Normals from Colored Lights

Gabriel J. Brostow, Carlos Hernández, George Vogiatzis, Björn Stenger, and Roberto Cipolla

Abstract—We present an algorithm and the associated single-view capture methodology to acquire the detailed 3D shape, bends, and wrinkles of deforming surfaces. Moving 3D data has been difficult to obtain by methods that rely on known surface features, structured light, or silhouettes. Multispectral photometric stereo is an attractive alternative because it can recover a dense normal field from an untextured surface. We show how to capture such data, which in turn allows us to demonstrate the strengths and limitations of our simple frame-to-frame registration over time.

Experiments were performed on monocular video sequences of un-textured cloth, and faces with and *without* white makeup. Subjects were filmed under spatially separated red, green, and blue lights. Our first finding is that the color photometric stereo setup is able to produce smoothly varying per-frame reconstructions with high detail. Second, when these 3D reconstructions are augmented with 2D tracking results, one can both register the surfaces and relax the homogenous-color restriction. Quantitative and qualitative experiments explore both the practicality and limitations of this simple multispectral capture system.

Index Terms—Photometric stereo, multispectral, single view, Video Normals.

I. INTRODUCTION

The modeling of dynamic cloth geometry is increasingly based on computer vision techniques [1], [2], [3], [4], [5]. Both cloth and faces entail complex underlying dynamics that motivate capturing motion data from the real world whenever possible.

Existing algorithms one might employ for capturing detailed 3D models of moving cloth or skin include multiple view stereo [6], photometric stereo [7], [8], and laser based methods [9]. However, most of these techniques require that the subject stand still during the acquisition process, or move slowly [10]. Another substantial challenge is that even starting from a sequence of 3D scans of the deforming object, registration is necessary to produce a single 3D model, suitable for CG animation or further data analysis, such as used in [11] and [12].

The technique proposed here for acquiring complex motion data from real moving cloth and faces uses a highly practical setup that consists of an ordinary video camera and three colored light sources (see Fig. 1). The key observation is that in an environment where red, green, and blue light is emitted from different directions, a Lambertian surface will reflect each of those colors simultaneously without any mixing of the frequencies. The quantities of red, green, and blue light reflected are a linear function of the surface normal direction. A color camera can measure these quantities, from which an estimate of the surface normal direction can be obtained. By applying this technique to a video sequence of a deforming object, one can obtain

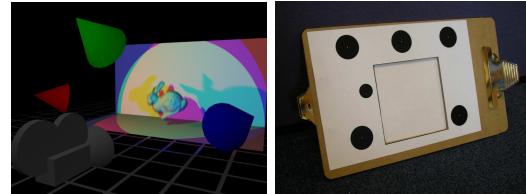


Fig. 1. **Setup and calibration board.** Left: a schematic representation of our multispectral setup. Right: Attaching two boards with a printed calibration pattern results in a planar trackable target for computing the orientation of the pattern's plane. The association between color and orientation can be obtained from a cloth sample inserted in the square hole between the boards.

a sequence of normal maps for that object which, in turn, allows us to make the following contributions:

- 1) A simple acquisition setup for acquiring high-detail, per-frame reconstructions.
- 2) A simple calibration procedure that extends this technique to human faces.
- 3) An optical-flow based tracking that suffices for medium-term registration of folds and creases of a real deforming surface.
- 4) An algorithm for detecting self-shadows.
- 5) An application of our method for ‘dressing’ a virtual character with real moving cloth.

In this paper, we apply our newest work for relaxing the need for gray albedo [13] to extend our previous work [14] with (i) a new self-shadow detection algorithm, (ii) experiments on a rigid object for quantitative comparisons, and (iii) qualitative experiments to showcase the problems with registration and of using non-Lambertian surfaces. Video and calibration data from our experiments will be provided online¹.

II. RELATED WORK

The animation and capture of cloth and face deformations is approached from various perspectives, and we review the most relevant ones with regard to the proposed technique.

a) Texture Cues: White and Forsyth [4], [5] and Scholz *et al.* [3] have presented work on using texture cues to perform the specific task of cloth capture. Their methods are based on printing a special pattern on a piece of cloth and capturing video sequences of that cloth in motion, usually with multiple cameras. The estimation of the cloth geometry is based on the observed deformations of the known pattern as well as texture cues extracted from the video sequence. The techniques produce results of very good quality but are ultimately limited by the requirement of printing a special pattern on the cloth which may not be

¹<http://mi.eng.cam.ac.uk/research/projects/VideoNormals/>

practical for a variety of situations. In the present work, we avoid this requirement while producing detailed results.

Pilet *et al.* [1] and Salzmann *et al.* [2] proposed a slightly more flexible approach where one uses the pattern already printed in a piece of cloth, by presenting it to the system in a flattened state. [15] were among the first innovators of such approaches. Using sparse feature matching, the pattern can be detected in each frame of a video sequence. Due to the fact that detection occurs separately in each frame, the method is quite robust to occlusions. However, the presented results dealt only with minor non-rigid deformations.

b) Photometric Stereo: Photometric stereo [16] is one of the most successful techniques for surface reconstruction from images. It works by observing how changing illumination alters the image intensity of points throughout the object surface. These changes reveal the local surface orientations. This field of local surface orientations can then be integrated into a 3D shape. State of the art photometric-stereo allows uncalibrated light estimation [17], [8] as well as multiple unknown albedos [18], [19]. The main difficulty with applying photometric stereo to deforming objects lies in the requirement of changing the light source direction for each captured frame, while the object remains still. This is quite impractical when reconstructing the 3D geometry of a *moving* object, though Ma *et al.* [20] have recently built an impressive dome that uses structured and polarized multiplexed lighting to capture human faces. Still constrained by multiplexing, Vlasic *et al.* [21] demonstrated a multi-view system with eight 240Hz cameras and 1200 individually controllable light sources to capture geometry similar to our own. We show how multispectral lighting allows one to essentially capture three images (each with a different light direction) in a single snapshot, thus making per-frame photometric reconstruction possible and very accessible.

To really explore the limitations of our system, we also capture highly deforming human faces. The newest works by Ma *et al.* [22] and Wilson *et al.* [23] have among the highest quality face capture systems, in part because they build precise stages to capture both photometric stereo and precise depth. [22] is close to the ideal situation in all three ways, where photometric stereo captures detailed normals, projected structured light patterns capture accurate depth, and feature-tracking with extra cameras provides excellent landmarks for registration over time. They show how marker-based tracking can yield almost as high a quality facial animation, thanks to training a model in the heavily instrumented studio. Since heavy multiplexing was keeping them at a maximum of 30fps, [23] used high quality stereo cameras without the structured light to compute good depths, and added a new flow-based tracking to compensate for interframe motion. It could be interesting to extend our approach to use high quality stereo cameras in the future.

c) Colored and Structured Lights: The earliest related works are also the most relevant. The first reference to multispectral light for photometric stereo dates back 20 years to the work of Petrov [24]. Ten years later, Kont-

sevich *et al.* [25] actually demonstrated an algorithm for calibrating unknown color light sources and at the same time computing the surface normals of an object in the scene. They verified the theory on synthetic data and an image of a real egg. Drew and Kontsevich [26] even present evidence suggesting that the famous Lena photo was made under spectrally varying illumination. Woodham [27] also demonstrated that multi-spectral lighting could be exploited to obtain at least the normals from one color exposure. Also similar to our approach, his normals could be computed robustly when some self-shadowing was detected. Without using a calibration sphere made of the same material as the subject, we take a practical approach for calibration, and the same orientation-from-color cue, to eventually convert video of un-textured cloth or skin into a single dense surface with complex changing deformations. For the simplified case of a rigid object, [28] is using this principle to capture relief details by pressing it against an elastomer with a known-albedo skin.

The parameters needed to simulate realistic cloth dynamics were estimated from video by projecting explicitly structured horizontal light stripes onto material samples under static and dynamic conditions [29]. This system measured the edges and silhouette mismatches present in real vs. simulated sequences. Many researchers have utilized structured lighting, and Gu *et al.* [30] even used color, although their method is mostly for storing and manipulating acquired surface models of shading and geometry. Weise *et al.* [31] leads the structured light approach, and has some advantages in terms of absolute 3D depth, but at the expense of both spatial and temporal sampling, e.g. 17 Hz compared to our 60 Hz (or faster, limited only by the camera used). Zhang *et al.* [32] also presented a complete system that uses structured light for face reconstruction.

d) Multi-View Registration with 3D Templates: Sand *et al.* dispensed with special lighting but leverage markered motion capture and automatic silhouettes to deform a human skeleton and body template [33]. The numerous and recent progress in cloth animation is based on this concept of matching a specially-built 3D template mesh to videos filmed in elaborate multi-camera systems with studio lighting (or structured lighting as in [34]). Bradley *et al.* [35] opt for a simple manual step for template-creation, that then hinges on the video resolution to create wrinkles. De Aguiar *et al.* [11] use a single 360° laser-scan to create a very precise template, and then address the challenge of preserving those wrinkles and folds while the actor moves around. Vlasic *et al.* [12] have a very similar process, that also starts with a laser scan or with a template made by Starck and Hilton [36]. Our technique, on the other hand, expects no prior models of the cloth being reconstructed. Instead, our algorithm could eventually be extended to be a precursor stage for those systems. There are potentially benefits if they used time-varying templates with our level of detail, instead of static ones.

e) Registration With and Without Articulation: Registration is *not* the emphasis of our research, but it is an inherent part of using our time varying surfaces in

applications. Works in this area focus on the registration problem itself, except [37] who couple registration with their own capture system. Unlike ours, their approach both requires and benefits from i) a pre-made smooth template of the body, ii) an articulated skeleton of each subject which is used in their standard articulated-motion-capture framework, and iii) a multi-camera studio. Like most registration techniques, including our own, any assumptions about smoothly changing normals can ruin the high quality normal fields that may have been recovered. This technique winds up smoothing and interpolating normals over a window of five frames, precluding capture of normals for examples with flapping cloth, like our pirateShirt sequence visible online.

The focus of [38] is on articulated or piecewise-rigid shapes, where there is a known number of limbs, and they are pre-segmented for at least one depth-image. For this technique to succeed, consecutive frames must be close enough to give classic ICP a good initialization, which can be viewed as similar to our assumption about local flow on video normals. Other registration techniques for articulated shapes are fully automatic, such as [39] who discretize pose space and then seek out favorite transformations that align large sections of the two point clouds. We found the spin-images descriptor [40] to be brittle for single-view surface scans, but [41] is able to make skeletons out of similar data, enabling [42] to demonstrate good registration on synthetic and man-made shapes.

Multiple techniques now attempt to register the available point clouds (or volumetric scans [43]) in batch mode instead of online. Mitra *et al.* [44] successfully registers many scans of stiff objects all at once, instead of using a sequence of ICP-steps chained together. Their extensions for deformable bodies assume very limited degrees of freedom, which is not the case with our data, and revert to optimizing just one time slice, unlike the main 4D function. They emphasized how errors crop up for them because of incorrect normals and non-rigid motion, which are exactly the problems we are addressing.

Also in the family of batch registration algorithms, Süßmuth *et al.* [45] and Wand *et al.* [46] have shown very nice general-purpose approaches that make few assumptions, and are mostly just limited by memory capacity. Both have even registered sequences of faces as long as 150 frames. This is particularly hard with just points that are not parameterized with some connectedness. [45] embeds the series of 3D point clouds in a 4D implicit function, and apply an EM-type optimization to find mesh deformations that prefer rotation and keep close to the positions of the point-clouds in the immediate temporal neighborhood. Their algorithm can be seen as parallel to the registration steps of our own, and possibly more extendible, in that their embedding of the point clouds in an implicit function (though costly) could be extended to allow the extracted meshes to change topology over time. [46] presents an impressive optimization system for computing a single shape and its time-varying deformation function from a sequence of point clouds (as many as 201 frames). The

point clouds must overlap substantially to allow registration of temporal neighbors, but holes and gaps can come and go, and the technique eventually merges the deforming scans into a single urshape, with better coverage than individual scans. At the heart of the algorithm is a meshless volumetric deformation model with an energy function that allows consistent parts of multiple point clouds to be aligned with each other. Hierarchical processing in the time domain leads to a globally consistent solution, which is attractive compared to our frame-to-frame registration, except for the memory constraints and running times. We have our own data acquisition process that rivals what the authors of this paper assume as input, and we explicitly detect occlusions and apply no data-culling. Our registration does accumulate error but has a simpler regularization that does not penalize volumetric, velocity, and acceleration changes. So speaking quite broadly, ours is “fast and cheap”, while theirs is slow but good for many of the same situations we care about. Qualitative evaluation of the resulting videos is necessary to assess the amount of detail retained in our respective registered models.

III. DEPTH-MAP VIDEO

In this section, we follow the notation of Kontsevic *et al.* [25]. For simplicity, we first focus on the case of a single distant light source with direction $\mathbf{l} = [l_1 \ l_2 \ l_3]^T$ illuminating a Lambertian surface point \mathbf{x} with surface normal \mathbf{n} . Let $S(\lambda)$ be the energy distribution of that light-source as a function of wavelength λ and let $\rho(\lambda)$ be the spectral reflectance function representing the reflectance properties at that surface point. We assume our camera consist of multiple sensors (typically CCD’s), sensitive to different parts of the spectrum. If $\nu_i(\lambda)$ is the spectral sensitivity of the i -th sensor for the pixel that receives light from \mathbf{x} , then intensity measured at that sensor is $r_i = \mathbf{l}^T \mathbf{n} \int S(\lambda) \rho(\lambda) \nu_i(\lambda) d\lambda$, or in matrix form

$$\mathbf{r} = M \mathbf{n}, \quad (1)$$

where the (i, j) -th element of the 3-column M is

$$m_{ij} = l_j \int S(\lambda) \rho(\lambda) \nu_i(\lambda) d\lambda. \quad (2)$$

To solve for \mathbf{n} , M must be rank 3, meaning 3 or more sensors (rows) are required. Actually, even with 3 sensors, M would be of rank 1 when using just one light source, because the per-sensor dot products are not linearly independent. When more light sources are added, if the system is linear and $\mathbf{l}^T \mathbf{n} \geq 0$ still holds for each light, the response of each sensor is just a sum of the responses for each light source individually, so we retain (1) but with

$$M = \sum_k M^k, \quad (3)$$

where M^k describes the k -th light source. Therefore, in the absence of self occlusions, three sensors and a minimum of three different lights need to be present in the scene for M to be invertible. If the surface is uniformly colored (constant

albedo), then the reflectance $\rho(\lambda)$ and consequently M will be fixed across all un-occluded locations.

Equation (1) establishes a one-to-one mapping between an RGB pixel measurement from a color camera and the surface orientation at the point projecting to that pixel. Our strategy uses the inverse of this mapping to convert a video of a deformable surface into a sequence of normal maps.

A. Setup and calibration

Our setup consists of a color video camera and three light sources which have been filtered with red, green and blue filters respectively. The camera is placed 5m away from the target object. The light sources are at a similar distance, not colinear, aimed at the target, and separated by about 30 degrees from one another. The filming occurs in a dark room with minimal ambient light. Figure 1 (left) describes this schematically.

In [25] and [47], methods were proposed for the estimation of the linear mapping M of equation (1) from the image itself, using the constraints of uniform albedo and surface integrability that must be satisfied by the normal map. However the results obtained with these techniques can be unsatisfactory, especially in situations where the target object does not have a wide range of surface orientations (e.g. if it is mostly planar). We prefer to estimate the mapping by employing an easy-to-use calibration tool (Figure 1, right) similar to the one used in [48]. The pattern is planar with special markings that allow the plane orientation to be estimated. By placing the cloth in the center of the pattern, we can measure the color it reflects at its current orientation. We thus obtain a set of (\mathbf{r}, \mathbf{n}) pairs from which the mapping M is estimated using linear least squares [14].

B. Depth from Normals

By estimating and inverting the linear mapping M linking RGB values to surface normals, we can convert a video sequence captured under colored light into a *video of normal-maps*. Each normal map is integrated independently for each frame using a Fast Fourier Transform (FFT) method [49]. At the end of the integration process, we obtain a *video of depth-maps*.

IV. HUMAN FACE NORMALS

The motion of cloth can be dynamic and intricate, but cloth is also flexible and easily used in our original flat-surface calibration method [14]. Here we extend the previous approach to reconstruct moving human faces.

A trivial extension for capturing Video Normals of moving faces is to fully apply makeup to the skin, and then use the same makeup on a flat surface in the calibration board of Figure 1. Such a calibration makes the assumption that the makeup is matte and evenly applied. While approximate and slightly inconvenient for the actor, this simple approach is surprisingly effective (see Figure 2).

It is worth noting that some existing facial scanning [50] and motion capture systems can already produce excellent

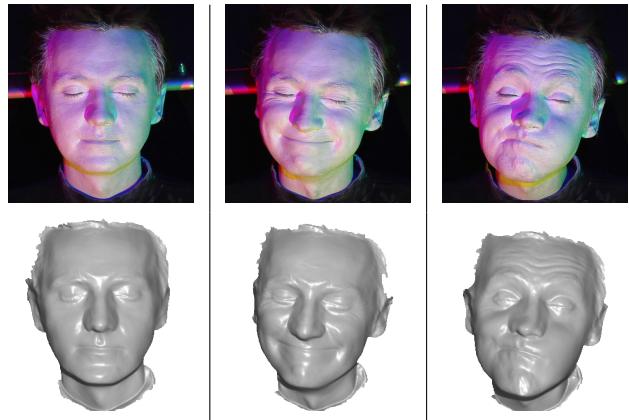


Fig. 2. **Applying the original algorithm to a face with white makeup.** Top: example input frames from video of an actor smiling and grimacing. Bottom: the resulting integrated surfaces.

results, but often at the cost of having a more complicated setup. Ma et al. [20] use polarized spherical gradient illumination patterns and multiplexing to recover detailed surface geometry. Furukawa and Ponce [51] have recently introduced a new tangential rigidity constraint for registration, but also rely on multiple synchronized cameras. Bradley et al. [52] recently showed excellent results with a 14-camera system with special lighting that allowed them to register geometry and textures using a stereo flow-based technique, similar to the one we use here for single-view capture. While they succeed by tracking highly detailed texture, we are able to track the video of normals, though we take no face-specific steps to counteract drift, which eventually leads to error-accumulation.

Good facial expression capture should not depend on makeup. The calibration step is extended, on the basis of [13], to cope with unpainted faces, and more generally, with single-albedo objects that can be rotated in front of the camera without significant deformation. In practice, during this calibration step, the makeup-free actor need only hold some expression while turning their head all the way to the left and right. The head itself is used as a rigid calibration object, and the per-frame pose and 3D shape are estimated in order to obtain M , the skin's response to this arrangement of multi-colored illumination.

The first step is to establish the changing pose of the head. Although skin can appear mostly smooth, the blue channel of facial skin shows fairly distinct (though sparse) trackable features. The 3D pose of these points on a rigid object is computed from the 2D tracks using established SfM algorithms [53]. We feed our own 2D tracks to the Boujou [54] software, producing the relative pose between the camera and each frame of the head. If 2D tracks are not available, silhouette-based calibration methods such as [55] or [56] can serve this purpose.

The second step uses the poses to help estimate the shape of the head, to an extent slightly better than a visual hull. We apply the silhouette and stereo fusion technique of [57] because it is simple and reliable. Reasonable alternatives exist for this stage, including [58] and [59]. The expectation

here is only that the surface patches with a given world-orientation have a similar color overall, so the recovered head model's shape can be approximate. This initial head geometry is shown in Figure 3(B).

In the third step, the head's poses and approximate geometry are used to compute the illumination directions and intensities. Here, instead of the previous calibration of the $3 \times 3 M$ matrix using a flat material sample, we use the estimated head model itself. Unlike Lim et al.'s [17] reconstruction algorithm, we do not assume that all projected 3D surfaces are equally informative of illumination. We follow the RANSAC-based formulation of [8], where lighting is estimated from partially correct geometry. Our algorithm randomly selects a fixed number of points on the surface and uses their corresponding pixel intensities to hypothesize an illumination candidate. All surface points are then used for testing this hypothesis. This process is iterated and the candidate with the largest support is selected as the illumination estimate. This is more robust to both inaccurate geometry and inconsistent albedo, because an illumination hypothesized based on an unfortunate choice of three points on the head mesh will receive fewer votes and appear as an unusual outlier compared to choices from the dominant albedo. For a pure Lambertian surface and distant point light source model, only three points are required to estimate illumination. However, the approach can easily cope with more complex lighting models. For example, a first order spherical harmonic model (3×4 matrix) could be estimated from four points. This approximation is equivalent to a distant point light source with ambient lighting. Figure 3 shows sample input and output frames from a longer face sequence without the use of the calibration board or any face makeup.

V. TRACKING THE SURFACE

While the *video of depth-maps* representation can be adequate for some applications, for texture mapping, points on different depth maps must be brought into correspondence. Figure 10 (second row) shows the failure of directly texture-mapping each depth-map of moving cloth without any registration. As mentioned in Section II, one could choose to register the time-varying surfaces using one of many available algorithms, based on articulations, speed, or subject-specific constraints. Instead, we showcase the spatio-temporal detail of the points derived from Video Normals by doing simple frame-to-frame registration that is not limited by memory constraints when processing long sequences. We use optical flow, precisely because it relies on good texture details, and advect the first point cloud in experiments using two different registration optimizations. Let $z^t(u, v)$ denote the depth-map at frame t . Our deformable template is the depth-map at frame 0, and is a dense triangular mesh with edges \mathcal{E} and vertices $\mathbf{X} = \{\mathbf{x}_i^0\}$,

$$\mathbf{x}_i^0 = (u_i^0, v_i^0, z^0(u_i^0, v_i^0)), \quad i = 1 \dots N. \quad (4)$$

Similarly to [61], the deformations of the template are guided by the following two competing constraints:

- the deformations should be compatible with the frame-to-frame 2D optical flow of the original video sequence,
- the deformations should be locally as rigid as possible.

A. 2D Optical flow

We begin by computing frame-to-frame optical flow in the video of normal-maps. A standard optical flow algorithm is used for this computation [62] which for every pixel location (u, v) in frame t predicts the displacement $\mathbf{d}^t(u, v)$ of that pixel in frame $t + 1$. Let (u^t, v^t) denote the position in frame t of a pixel which in frame 0 was at (u^0, v^0) . We can *advect* $\mathbf{d}^t(u, v)$ to estimate (u^t, v^t) using the following equation from [33]:

$$(u^j, v^j) = (u^{j-1}, v^{j-1}) + \mathbf{d}^{j-1}(u^{j-1}, v^{j-1}), \quad j = 1 \dots t. \quad (5)$$

If there were no error in the flow and our template from frame 0 had perfectly deformed to match frame t , then vertex \mathbf{x}_i^0 of the template would be displaced to point

$$\mathbf{y}_i^t = (u_i^t, v_i^t, z^t(u_i^t, v_i^t)). \quad (6)$$

B. Regularization

Simply moving each template vertex to the 3D position predicted by optical flow can cause stretching and other geometric artifacts like the ones displayed in Figure 10 (third row). This is due to accumulated error in the optical flow caused in part by occlusions. We tried two different regularization techniques. The first, described in more detail in our original paper [14], requires that translations applied to nearby vertices are as similar as possible. This is achieved by finding the $\hat{\mathbf{y}}_i$'s that optimize the energy term $E = \alpha E_D + (1 - \alpha) E_R$. Here, α determines the degree of rigidity of the mesh, E_D is the data term, and E_R measures the dissimilarity of translations being applied to neighboring vertices. Reasonably good registration results are shown at the bottom of Figure 10.

The alternative regularization technique is similar to the alignment-by-deformation of Ahmed et al. [63], and is based on Laplacian coordinates [64]. Unlike [63], we use the computed flow instead of SIFT features with adaptive refinement. Given the fine grid connection graph of \mathbf{X} , we make the $N \times N$ mesh Laplace operator \mathbf{L} , and apply it to the points from the template to convert them to Laplacian coordinates, $\mathbf{Q} = \mathbf{L}\mathbf{X}$. \mathbf{Q} now encodes the high spatial frequency details of \mathbf{X} and ignores its absolute coordinates. $\hat{\mathbf{Y}}$, the least-squares optimal absolute coordinates in the next frame, is computed by solving the linear equation

$$\begin{pmatrix} \mathbf{L} \\ \beta \mathbf{I}_N \end{pmatrix} \hat{\mathbf{Y}} = \begin{pmatrix} \mathbf{Q} \\ \beta \mathbf{Y} \end{pmatrix}, \quad (7)$$

which trades off the Laplacian coordinates against the results of tracking, using a similar rigidity parameter β . Section VII describes the qualitative evaluation of how long each of the two regularization approaches tracks our Video Normals through large deformations before eventually falling off. In all the experiments, α was set to 0.9 and β to $1e - 3$.

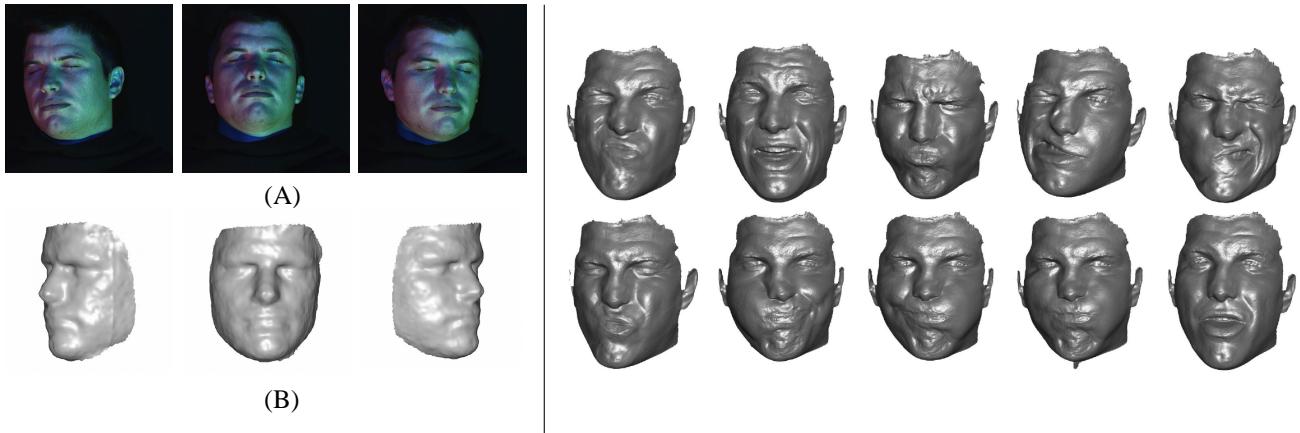


Fig. 3. **Face sequence without makeup.** Our calibration technique builds on multi-view reconstruction and lighting estimation (see Section IV). It is made possible by first moving the head around with a fixed expression (A). The initial recovered head geometry, shown in (B), is only approximate. The integrated surfaces are shown on the right using the self-shadow processing method of [60].

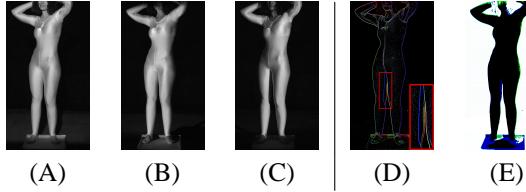


Fig. 4. SpandexSelfShadow images. (A-C) are the red, green, and blue components of the recorded frame, while (D) shows the edges detected by the Laplacian filter. Note the prominent blue line running down the right leg, where the blue light cast a shadow. (E) shows where each of the lights cast its color shadow, except that the background has already been turned off.

VI. SELF-SHADOWING

So far, the algorithm is applied directly to each pixel in a given frame, independently of its neighbors in that frame. Unfortunately, it is inevitable that another part of the subject can come between the light and the camera, causing a self-shadow. This is also a problem for regular photometric stereo, though there are potentially fewer self-shadows induced by one light source than by three. The three distributed lights however, offer a new opportunity that can be exploited to partly compensate when computing normals for shadowed surface patches.

For the first time in the algorithm, we consider the spatial relationship of the pixels in an image. When a photograph is considered as a composite of reflectance and illumination, Sinha and Adelson [65] observed that illumination varies more smoothly and is less likely to align with reflectance changes. Though we must contend with three sources of illumination, the three-channel video camera allows us to examine each light in turn, while reflectance changes were constrained from the outset. This justifies the use of a simple Laplacian edge-detector in each of the color channels of captured frame F_{RGB} . The resulting per-channel edges are pictured, with increased contrast for illustration, in Figure 4D.

Per-channel edge pixels are analyzed in turn to determine gradient orientation. We compute and quantize orientation by checking along each of the eight cardinal directions, at

a distance of ± 2 pixels. Pixels whose gradient magnitude falls below a threshold τ are rejected. Adjoining pixels whose direction agrees are grouped into connected components, and we found empirically that for our footage, components with fewer than 20 pixels could safely be rejected at the conservative setting of $\tau = 5\%$. These parameters could change for filming under different conditions, to match the overall brightness of the average F .

The remaining gradient pixels are used as seeds for a conservative flood-filling algorithm which expands to neighbors whose intensity is equal or darker. With shadowed-pixels in each channel of F labeled, we compute a lookup visibility mask for each pixel, indicating which channels are present, if any. A dark backdrop was enough to insure that our algorithm labeled not only the correct regions on the actors as having two, one, or no discernable self-shadows, but also the surrounding scene as having all three shadows.

Finally, the parts of a surface that are self-shadowed by just one light source (*i.e.* $k = 2$) can now be processed specially to compensate for the missing channel of information (see Figure 5A-B). Onn and Bruckstein [66] addressed precisely this situation when dealing with two-image photometric stereo. The same ambiguity exists whether two gray-scale images are available, or when given F_{RGB} of a surface illuminated by just two colored lights. The local surface is constrained to have one of two possible orientations, corresponding to the two acceptable roots of a quadratic equation. Having classified the pixels as shadowed from a particular light, we choose the root whose normal is locally continuous with the unshadowed surface, under the constant albedo assumption. Figures 5(A-B) illustrate the effect of this improvement on the integrated surface. For the less obvious improvement for dealing with self-shadows (once found) and complicated albedo, see [60].

VII. EXPERIMENTS

Our experiments use real-world subjects filmed using a color video camera with resolution of either 1280×720 or 1024×1024 at 60fps. Since reconstruction consists

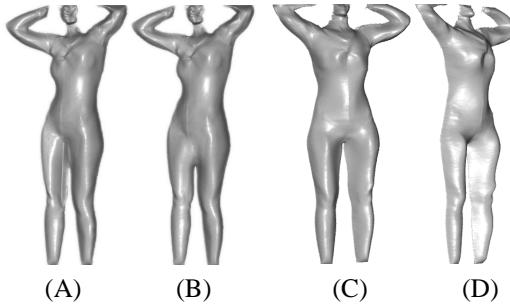


Fig. 5. Self-shadowing & the Lambertian assumption. (A-B): Integrating the surface normals where all pixels are treated equally vs. using our self-shadow detection and correction (Section VI). The difference is most pronounced above the model's right knee. Separate from the matter of self-shadowing, (C-D) show a limitation of our system. Since the cloth violates our Lambertian assumption, the integrated surface of a different pose looks convincing from the front (C), but not from the side (D).

of a matrix-vector multiplication followed by a Poisson integration [67], our FFT-based integration implemented with CUDA libraries produces depth-maps at 60 Hz. Computation times were on the order of 8 additional seconds for each registration of the mesh to the current frame. If the shadow correction algorithm from [60] is used, then the Poisson integration is about 10 seconds per frame. The sweater sequence meshes are 365415 triangles and 183742 vertices, while the makeup-free face mesh is 611764 triangles and 307362 vertices. Computations were carried out on a 2.8Ghz Pentium 4 processor with 4Gb of RAM and an nVidia GeForce 8800.

A. Quantitative comparisons

To evaluate the accuracy of the per-frame depth-map estimation, we first reconstructed a static object (a jacket) using classic photometric stereo with three images each taken under different illumination. The same object was reconstructed using a single image, captured under simultaneous illumination by three colored lights, using our technique. Figure 6 shows the two reconstructions side by side. The results look very similar and the average distance between the two meshes is only **1.4%** of the bounding box diagonal. This demonstrates that equation (1) works well in practice. It is worth noting that even though photometric stereo achieves comparable accuracy, it cannot be used on a non-static object whose shape will change while the three different images are captured.

We have a further measure to quantitatively evaluate our technique. A rigid cylindrical object was wrapped in smooth paper, and moved in front of the camera for 30 seconds, exploring all six degrees of freedom. A best-fit cylinder geometry is computed for the sequence, so that for the cylinder's pose in each frame, we know the ideal normal-field, against which the Video Normals field is measured. In Figure 7, each frame's mean normal-vector error in degrees and standard deviation are plotted. Overall, the mean error was 2.67° , and the standard deviation was 4.29. Our test-frames, code for evaluating them, and per-frame scores are online, with the aim of encouraging more meaningful algorithm comparisons, when possible.

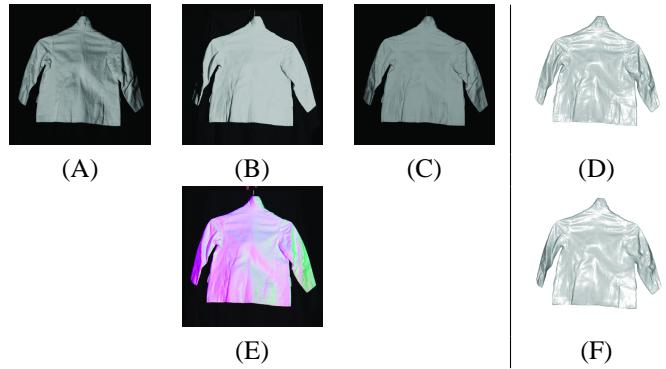


Fig. 6. Comparison with photometric stereo. (A-C) show three grayscale images captured by a digital camera, each taken under a different illumination, providing the input to a classic photometric stereo reconstruction [16] shown in (D). (E) shows a frame from a jacket sequence, where the same object is illuminated *simultaneously* by three different colored lights. Our algorithm only uses one such frame to generate the surface mesh shown in (F). Note that both algorithms give very similar results, but only the new one (bottom row) can work with video since only one frame is required to obtain a reconstruction. As a quantitative comparison, the average error between both reconstructions is only **1.4%** of the bounding box diagonal.

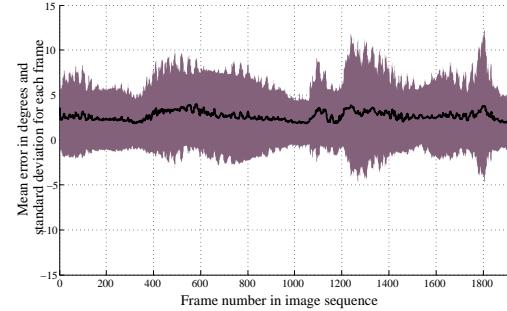


Fig. 7. Cylinder reconstruction evaluation. A rigid cylinder was moved in front of the camera and the geometry estimation was evaluated quantitatively. A best-fit cylinder geometry is computed for the sequence, so that for the cylinder's pose in each frame, we know the ideal normal-field. The plot shows the per-frame mean and standard deviation of the distance between the ideal and the estimated normals in degrees, as a function of time. The overall mean error was 2.67° .

B. Qualitative tests of cloth and face

For the third experiment shown here, a model wearing a white sweater was filmed dancing under our multispectral illumination setup (see first row of Figure 10). For qualitative purposes, in Figure 9 we show several views of frame #380 without the texture map and in high resolution (the mesh consists of $\tilde{1}80k$ vertices). The images clearly show the high frequency detail of the sweater. To the best of our knowledge, this is the only method able to reconstruct deforming cloth with such detail. However, as expected, materials that are far from Lambertian exhibit noticeable artifacts, as in Figure 5C-D.

We used this sequence to evaluate the original mesh regularization algorithm of Section V by texture mapping the deforming sweater. Figure 10 shows several approaches to mesh registration starting with no registration at all (second row), registration using the advected optical flow alone (third row) and the effect of regularizing optical flow with the rigidity constraint (fourth row), as we propose.



Fig. 8. Registering with different regularizations. Treating the first integrated Video Normals surface as a template that receives a checkerboard texture, we automatically register that shape throughout a long sequence by tracking flow frame-to-frame. The rows feature frame #10, #87, #116, and #290 out of 1000. The left column uses the original translation regularization from [14], while the middle column was registered using the alternative Laplacian coordinates regularizer. Results on the right are generated like the middle column, but with the benefit of slits for the mouth and eyes, so some domain-specific input from a user.

This last approach is seen to outperform all others as it manages to track the surface for more than 500 frames.

The fourth experiment explores tracking the much more challenging deforming face sequence from Figure 3. Rows of Figure 8 show different frames from among a sequence of over 1000 frames. The Video Normals surfaces are registered using the two different regularization algorithms described in Section V. In this experiment, the first depthmap of the face sequence is used as a template for the rest of the sequence. The left column of Figure 8 shows the result of using the same rigidity constraint on the translation vectors as for the white sweater, and as described originally in [14]. The performance of this algorithm degenerates most quickly. This is expected since the face undergoes much bigger deformations than the cloth sequence, so, imposing rigidity on the translation vectors is not enough. The middle column of Figure 8 shows the tracking results using our alternative regularization, the Laplacian coordinates algorithm similar to [63]. This algorithm is better able to impose rigidity constraints. However, the results show the limitations of using optical flow for large deformations. The optical flow easily accumulates errors, and even though rigidity does help in recovering from flow errors, it eventually cannot cope with the amount of deformation shown in this sequence. One possible avenue is to incorporate the work of [45], though memory limitation hinders this. Their algorithm is also targeted at deforming point clouds, which is a harder problem than ours. Their example results do not



Fig. 9. Cloth reconstruction results of a deforming sweater. Multispectral photometric reconstruction of a single frame of a longer video sequence using the technique described in Section III. Multiple viewing angles (± 25 degrees, ± 50 degrees) of frame #380 of the sweater sequence. This frame is representative of the quality of detail reconstruction for this and other tested videos.

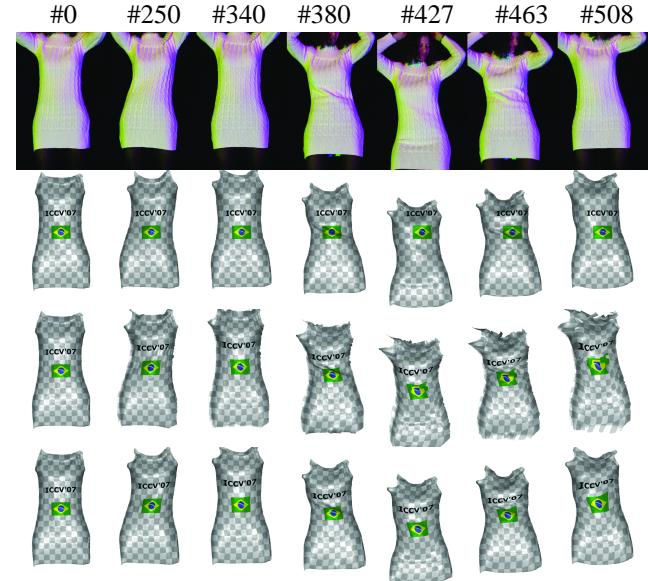


Fig. 10. Cloth tracking results of a sweater sequence. First row: input video sequence of a person wearing a white sweater while being illuminated by three colored lights from three different orientations. Second row: video of depth-maps obtained by the technique described in Section III and directly texture mapped without any registration. The approach is quickly seen to fail after a few frames. Third row: texture-mapping is obtained by advecting frame-by-frame 2D optical flow [33]. Error in the optical flow advection causes artifacts after about 380 frames. Last row: Proposed method (Section V) where 2D optical flow is regularized with a rigidity constraint to reduce advection errors. Please see the video.

exhibit nearly as much deformation as this face sequence. Finally, with human supervision, some of the deformation artifacts due to the eyes and mouth opening and closing can be alleviated by introducing seams on the template at the mouth and eye positions (see Figure 8 right). The seams allow better tracking of large deformations, but the added degrees of freedom can also negatively affect the overall shape. Naturally, eventually, even the right-most registration accumulates too much error.

C. ‘Dressing’ a virtual character with moving cloth

To demonstrate the potential of our method for capturing cloth for animation, we attach a captured moving mesh to an articulated skeleton. Skinning algorithms have varying degrees of realism and complexity, e.g. [68]. We apply a version of smooth skinning in which each vertex v_k in the mesh is attached to one or more skeleton joints and a link to joint i is weighted by $w_{i,k}$. The weights control how much

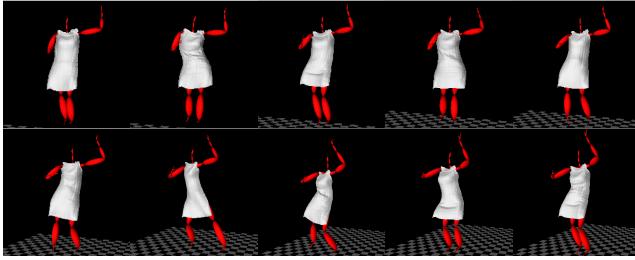


Fig. 11. Attaching captured moving cloth to an animated character. We apply smooth skinning to attach a moving mesh to an articulated skeleton that can be animated with mocap data. The mesh is simply animated by playing back the captured and registered dancing cloth sequence (please also see the video).

each joint i affects the transformation of the vertex [69]

$$\mathbf{v}_k^t = \sum_i w_{i,k} \mathbf{S}_i^{t-1} \mathbf{v}_k^{t-1} , \quad \sum_i w_{i,k} = 1, \quad (8)$$

where the matrix \mathbf{S}_i^t represents the transformation from joint i 's local space to world space at time instant t . The mesh is attached to the skeleton by first aligning both in a fixed pose and then finding, for each mesh vertex, a set of nearest neighbors on the skeleton. The weights are set inversely proportional to these distances. The skeleton is animated using publicly available mocap data [70] while the mesh is animated by playing back one of our captured and registered cloth sequences. Figure 11 shows example frames from the rendered sequence (please also see the video). Even though the skeleton and cloth motions are not explicitly aligned, the visual effect of the cloth moving on a controllable character is appealing. Such data-driven cloth animation can serve as a useful tool and presents an alternative to physical cloth simulation.

VIII. CONCLUSION

Building on the long established but surprisingly overlooked theory of multispectral lighting for photometric stereo, we have discovered and overcome several new obstacles. We developed a capture methodology that parallels existing work for capturing static cloth, but also enables one to capture the changing shape of cloth in motion. The same technique works well for capturing deforming faces, when the actor wears white makeup. Further, our SfM-based reflectance calibration technique empowers us to compute Video Normals of natural skin color, *without* any makeup. Realtime integration of the resulting normal fields is possible with an FFT normal map integration algorithm using CUDA libraries. We have verified the accuracy of the depth-maps against classic photometric stereo, and measured the space-time accuracy of normals using a rigid but moving shape. When a sequence of reconstructed surfaces is played back, they appear to change smoothly, even under abrupt motions like flutter in strong wind. We also explored long-term registration, and have devised a method to detect and cope with mild self-shadowing.

The high level of detail captured by the normal fields includes surface bends, wrinkles, and even temporary folds.

Tracking of folds and parting surfaces like eyelids is inherently underconstrained, and continue to be a challenge, and special templates may help [34], as may other domain-specific constraints about the subject's surface. Our system could be extended for some scenes to incorporate the gradual-change prior of [71]. Also, a different mathematical model will need to be explored for non-Lambertian materials. Another limitation is that in-the-round capture would be challenging to arrange, because multiple triples of lights would have to be set up, and they would need to have non-overlapping wavelengths of light. Registration remains the biggest limitation when making use of our monocular capture system, as illustrated in our long sequences. This problem is not singular to Video Normals, so we hope that our shared data proves useful to other researchers as well.

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