

# Reconstruction *in the round* with Photometric Normals

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# Uniform albedo Lambertian objects (with highlights)

- Challenging objects
- Lack of features makes correspondences hard
- Silhouette and shading are only available cues





#### Photometric stereo



- Single Viewpoint
- Move light-source for each image
- Same pixel always corresponds to same surface point
- With known light directions can estimate *n*
- Integrate normals to get depth map

$$i = \mathbf{l}^{\mathbf{T}} \mathbf{n}$$

#### Photometric stereo



- To get more than depth-maps, we need multiple-viewpoints...
- ... and in that case pixels are no longer automatically in correspondence
- However, if some correspondence is given, photometric stereo can proceed as usual
- Our strategy:
  - **1.** Estimate light directions & intensities
  - 2. Evolve a surface using photometric stereo with approximate correspondences from the current surface (starting from visual hull)



 Three surface points with known surface normals and their image intensities are enough to estimate a directional light source

$$\mathbf{l} = \left[\mathbf{n_a} \ \mathbf{n_b} \ \mathbf{n_c}\right]^{-1} \left[ \begin{array}{c} i_a \\ i_b \\ i_c \end{array} \right]$$

But where do you get these three points ?

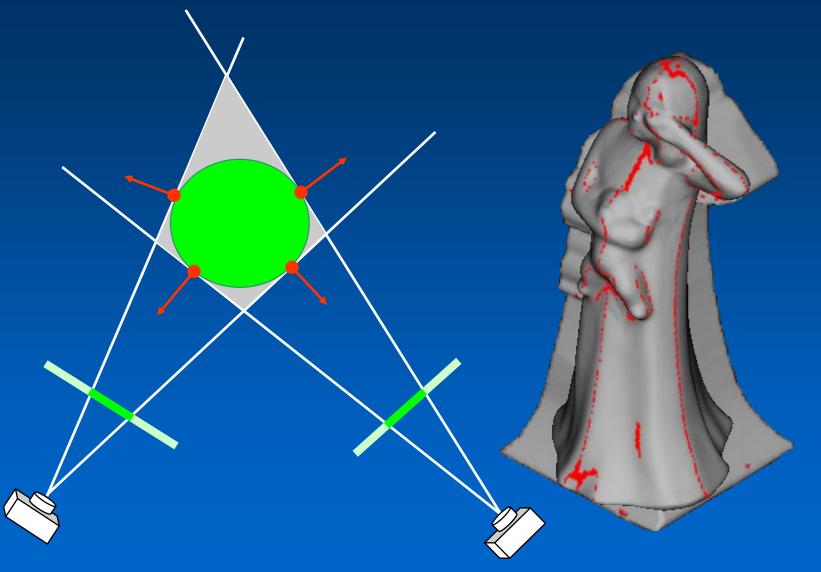


#### • Answer: From the visual hull



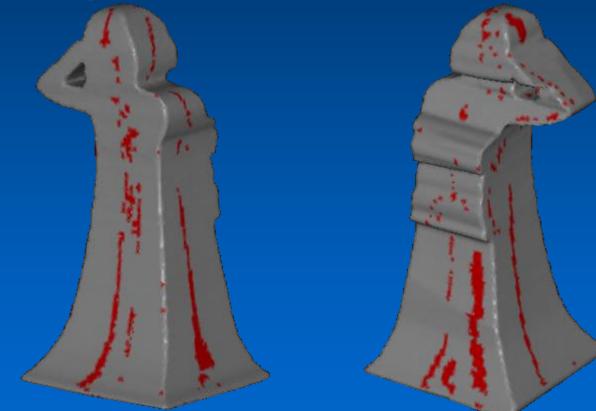






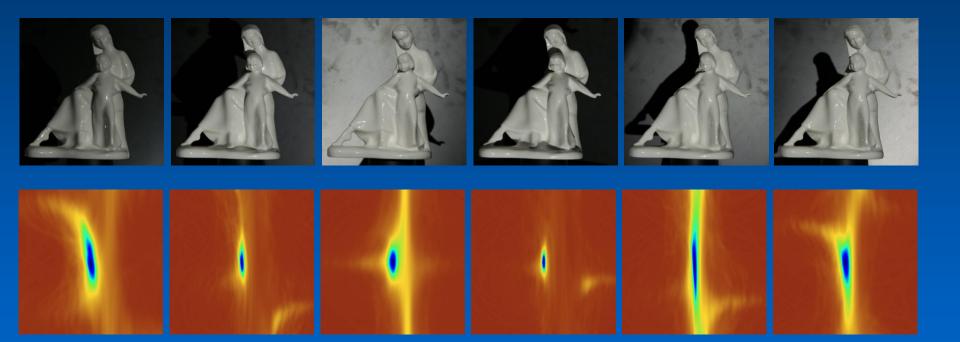


 Recover generators by random sampling

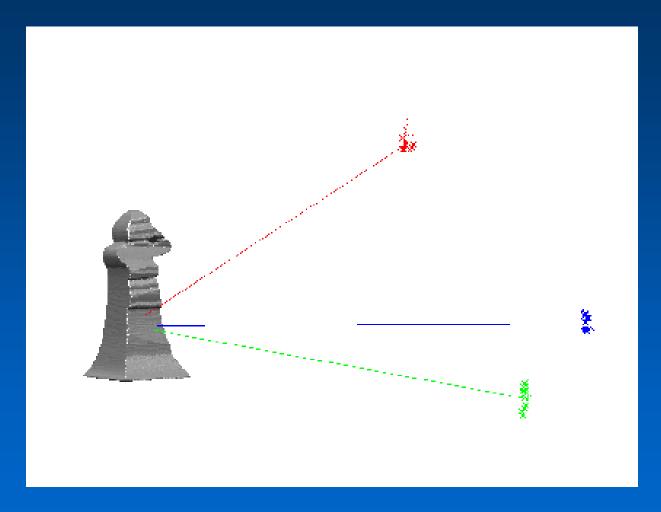




## Accuracy of light estimation







### 2. Multi-view photometric stereo

- Mesh with vertices  $x_1, \dots, x_M$
- And faces f=1,...,F •
- Define photometric normals  $v_1, \dots, v_F$
- Minimise sum of two energies
  - E<sub>m</sub> with respect to x<sub>1</sub>,...,x<sub>M</sub>
  - $E_v$  with respect to  $v_1, \dots, v_F$

$$E_m(\mathbf{x_1},\ldots,\mathbf{x_M};\mathbf{v_1},\ldots,\mathbf{v_F}) = \sum_{f=1}^F \|\mathbf{n_f} - \mathbf{v_f}\|^2 A_f$$

$$E_{v}\left(\mathbf{v_{1}},\ldots,\mathbf{v_{F}};\mathbf{x_{1}},\ldots,\mathbf{x_{M}}\right) = \sum_{f=1}^{F}\sum_{k\in\mathcal{V}_{f}}\left(\mathbf{l_{k}}^{T}\mathbf{v_{f}}-i_{f,k}\right)^{2}$$



## 2. Multi-view photometric stereo



evolution

#### Reconstruction in the Round Using Photometric Normals

Paper ID #548

**Mesh Evolution** 

## Full algorithm for uniform objects



```
Capture images of object.
Extract silhouettes.
Recover camera motion and compute visual hull.
Estimate light directions and intensities in every image
Initialise a mesh with vertices x_1 \dots x_M and faces f =
1 \dots F to the object's visual hull.
while mesh-not-converged do
  Optimise E_v with respect to v_1 \dots v_F.
  Optimise E_m with respect to x_1 \dots x_M.
end while
```

#### Results

















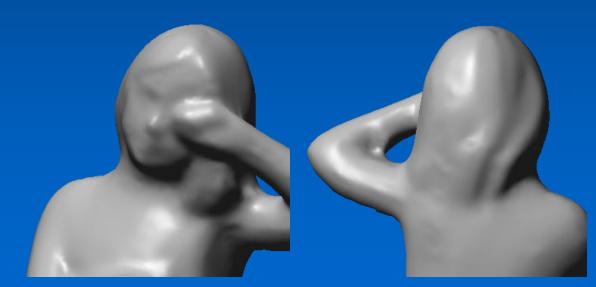
#### Results

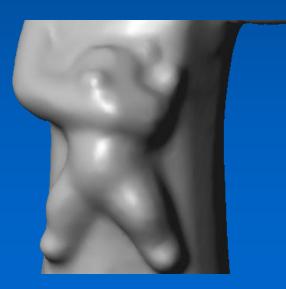






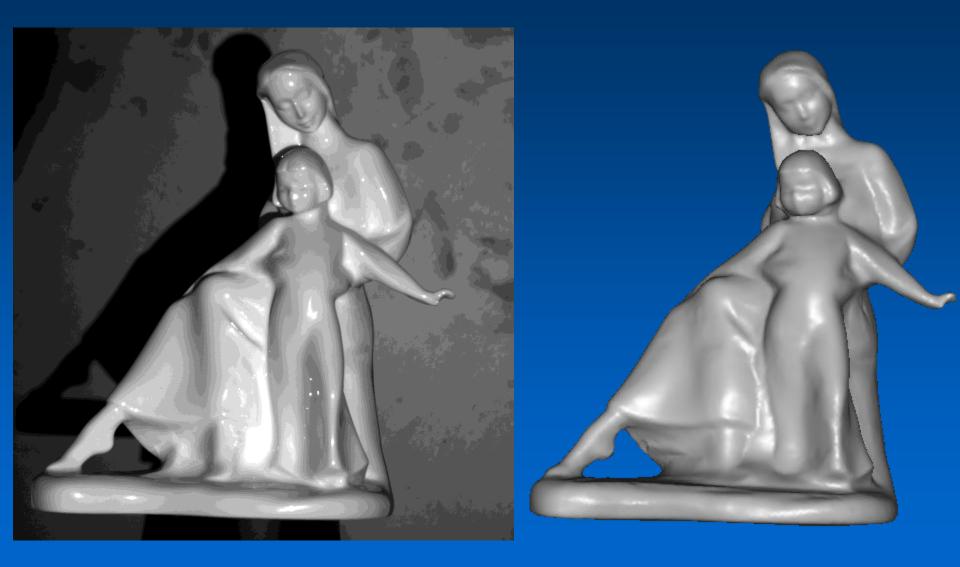






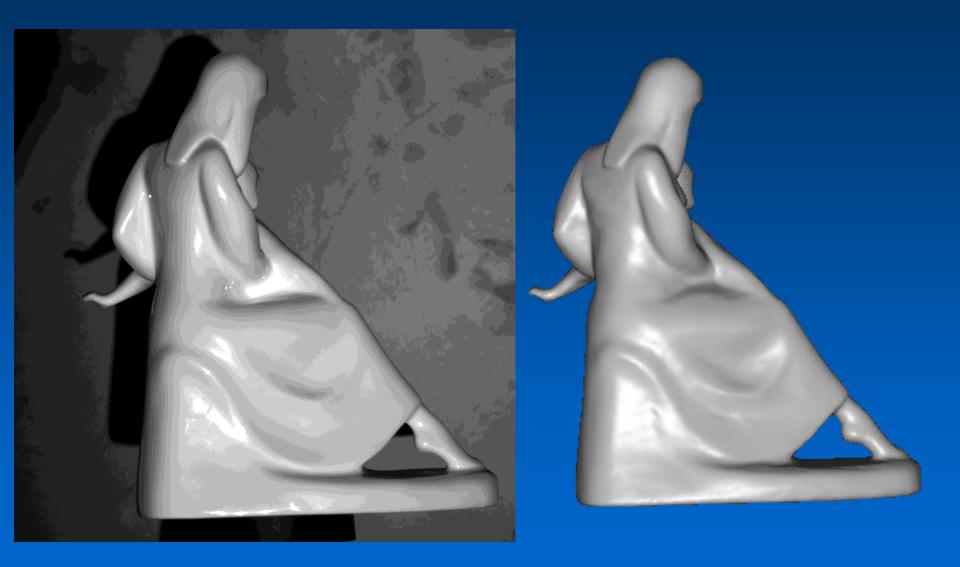




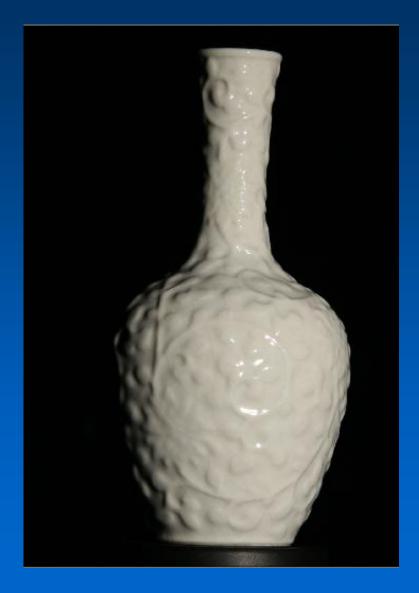


#### Results































#### Buddha



Multi-view Dense Stereo [Hernandez et al 2004]



For multi-albedo objects the technique can improve the results of state-of-the-art correspondence based techniques e.g. [Hernandez et al 2004]

#### **Multi-view Photometric Stereo**





#### Buddha



Multi-view Dense Stereo [Hernandez et al 2004] For multi-albedo objects the technique can improve the results of state-of-the-art correspondence based techniques e.g. [Hernandez et al 2004]

#### **Multi-view Photometric Stereo**